

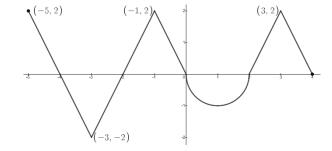
The graph of f, a continuous function on the interval $-5 \le x \le 4$, is shown above. The graph of f consists of five line-segments and one semi-circle.

Let C(x) = |f(x)| for $0 \le x \le 4$. C(x) models the number of people (in hundreds) in a warehouse x hours after 8:00 am.

(a) Find C(1) and C'(3.5). Using correct units, interpret both in context of this situation.

Let
$$k(x) = \int_0^x f(t)dt$$
.

- (b) Find k(1) and k'(1).
- (c) Find the average of rate of change of k(x) on [-5, 0].



(d) Verify k(x) satisfies the Mean Value Theorem on the interval [-5, 0]. State how many times k'(c), the value guaranteed by the Mean Value Theorem, occurs on the interval [-5, 0].

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- Let h be the function defined by $h(x) = 2 + \int_{-2}^{x} [f(t) 1] dt$.
- (e) Find h(-2), h'(-2), and h''(-2).
- (f) Find h(0) and h(-5).
- (g) Write an equation of the tangent line to h(x) at x = -2.
- (h) On what open interval(s) is the function h(x) increasing and concave up? Explain your reasoning.
- (i) Evaluate $\lim_{x \to 1} \frac{k(x) + \arctan x}{2x h(x 3)}$.

